

Modeling a cAMP oscillator

$$\frac{dC(x,y,t)}{dt} = \phi(C_0) - \beta C - \beta I C$$
(i)

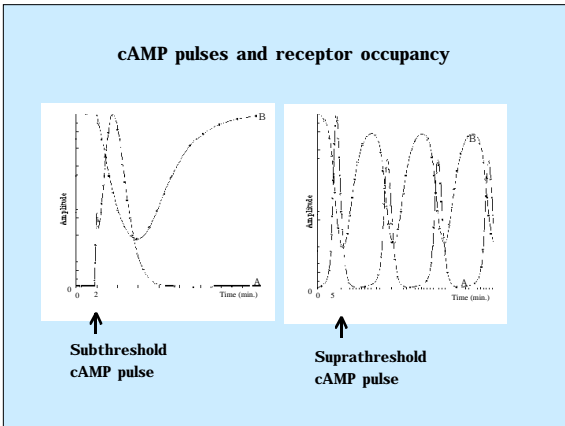
Rate of change in concentration of cAMP = cAMP production - Intracellular hydrolysis - cAMP inhibition

$$\frac{dP(x,y,t)}{dt} = f(C)P - f(C)(1-P)$$
(ii)

Rate of change in fraction of active receptor = Receptor dephosphorylation - Receptor phosphorylation

$$\lambda(x,y,t) = \frac{k}{1 + PD(x,y,t)}$$
(iii)

PKA activity = Dependence on PKA activity



Accounting for space

$$\frac{dy(x,y,t)}{dt} = \frac{k}{h} - ky + D\nabla^2 y \quad (4)$$

Rate of change in intracellular cAMP = cAMP secretion - Extracellular hydrolysis + cAMP Diffusion

$$\frac{dPDI(x,y,t)}{dt} = PDI\{[T(x,y)-1]\} + D\nabla^2 PDI \quad (5)$$

Rate of change in extracellular cAMP = Random PDI secretion + PDI diffusion

$$\frac{d(x,y,t)}{dt} = s(\cdot) - k_1 - k_2 \quad (1)$$

Rate of change in intracellular cAMP = cAMP production - Intracellular hydrolysis - cAMP secretion

$$\frac{d(x,y,t)}{dt} = f_1(\cdot) - f_1(\cdot)(1-\cdot) \quad (2)$$

Rate of change in fraction of active receptor = Receptor dephosphorylation - Receptor phosphorylation

$$k(x,y,t) = \frac{k}{1 + PDI(x,y,t)} \quad (3)$$

PDE activity = Dependence on PDI activity

$$\frac{d(x,y,t)}{dt} = \frac{k_1}{h} - k_2 + D\nabla^2 \quad (4)$$

Rate of change in extracellular cAMP = cAMP secretion - Extracellular hydrolysis + Diffusion

$$\frac{dPDI(x,y,t)}{dt} = PDI\{[T(x,y)-1]\} + D\nabla^2 PDI \quad (5)$$

Rate of change in extracellular cAMP = Random PDI secretion + PDI diffusion

$$\frac{d^2}{dt^2} = k_1 \frac{d^2}{dt^2} + k_2 \frac{d^2}{dt^2} + \dots$$

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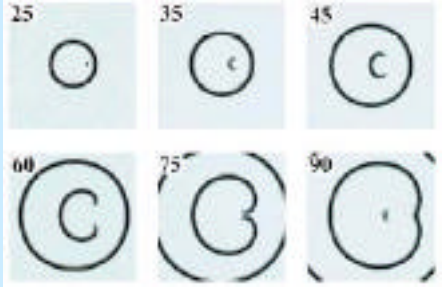
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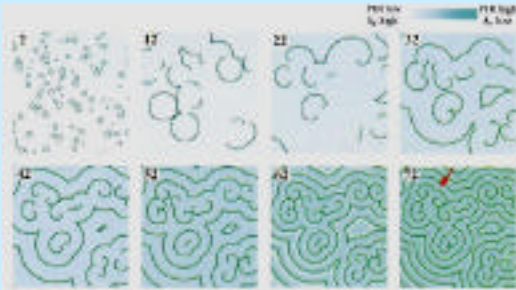
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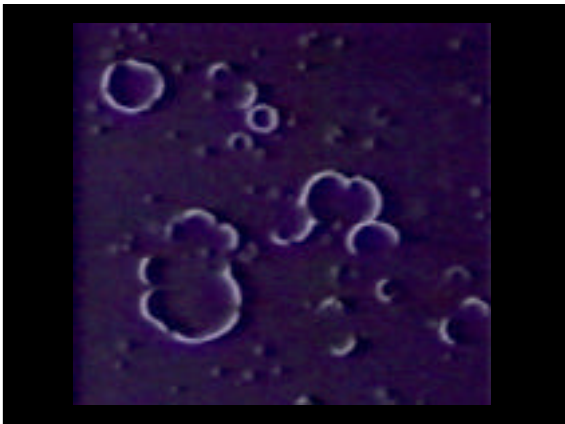
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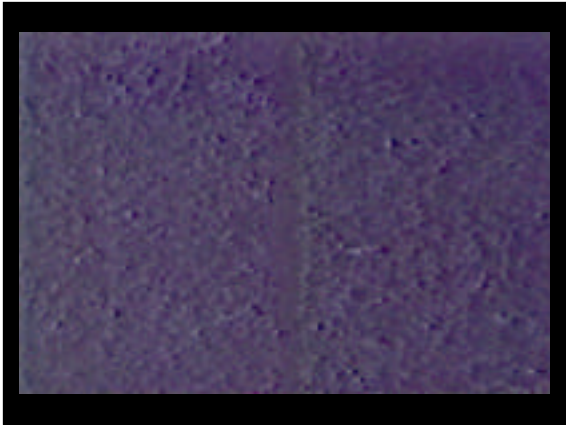
Spirals Originate from an Off-center PDI pulse

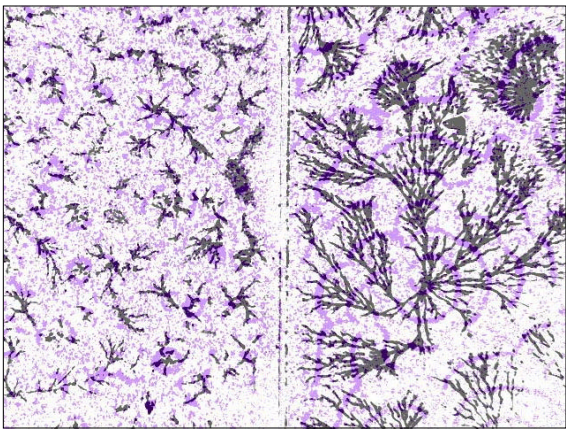


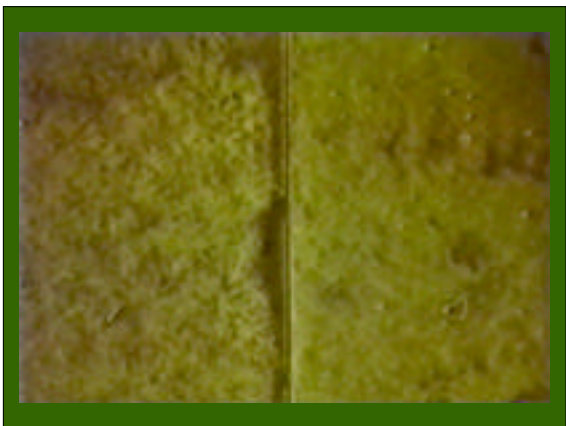
PDI Triggers Spirals and Tunes Frequency



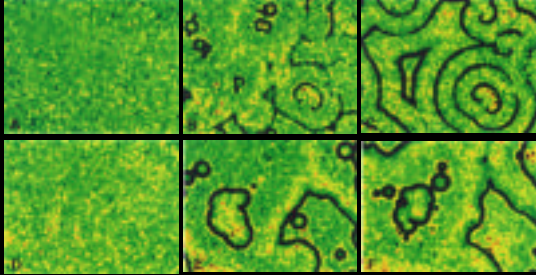








Defibrillating Spiral Waves with cAMP



Defibrillating Spiral Waves in *Dictyostelium*

